

New fit to breakdown vs. mag field



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RF Workshop Fermilab

7/7/09

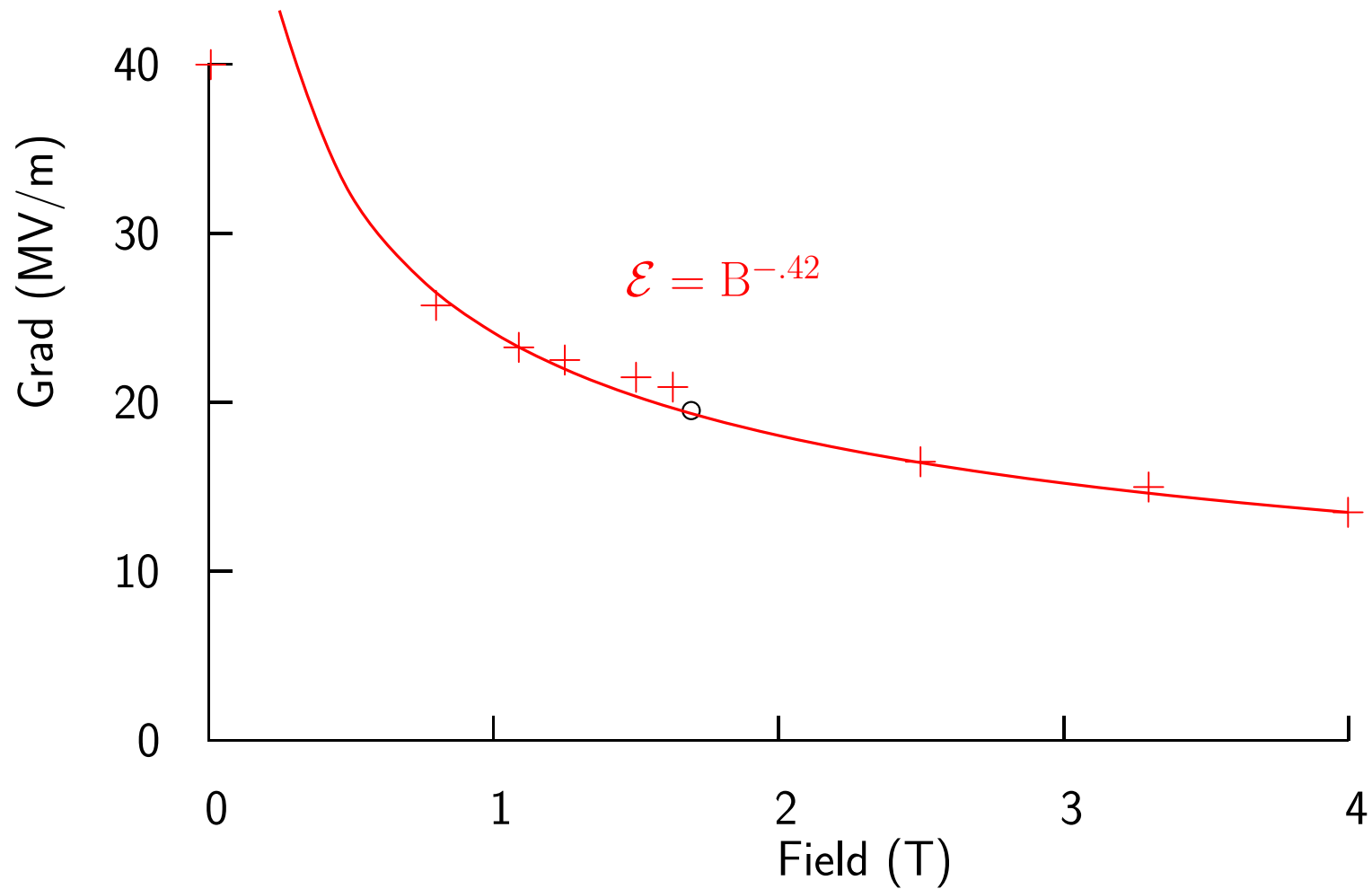
1. Introduction
2. Model
3. Fit to Cu pillbox data
4. Predictions for Be, Al and cold Al
5. A Be test cavity
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Introduction

- Previous fits and predictions were made assuming:
 - guesses as to relative sizes of beamlet, phase spread and thermal diffusion
 - that the the β_{FN} in the pillbox was the same as that determined in the open cavity
 - relative, rather than quantitative, heated temperatures of bombarded surface, & without defining the damage mechanism
- This analysis (a step forward, but needing further work):
 - Assumes damage arises from cyclical heating as observed by SLAC
 - Works backward from the damaging strains to determine beamlet currents
 - Includes PARMELA determination of beamlet size vs. current
 - Determines β_{FN} from these currents, for assumed asperity source areas: better than using the FN $\beta = 183$ determined for the open cavity that operated at higher gradients

Data used for this study

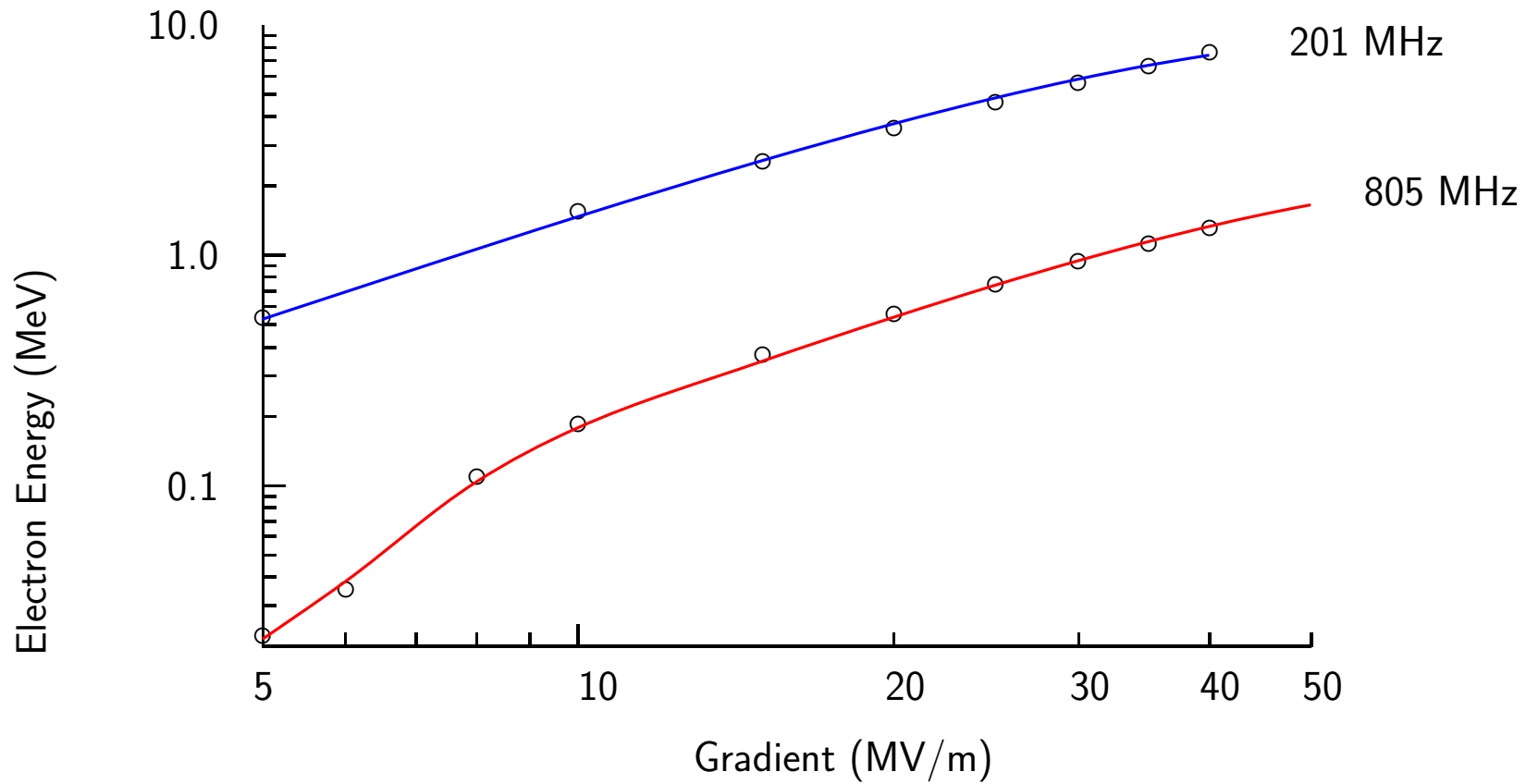
Fit is nto guide the eye



- Look at parameters for $\mathcal{E} = 19$ (MV/m) $B = 1.7$ (T)

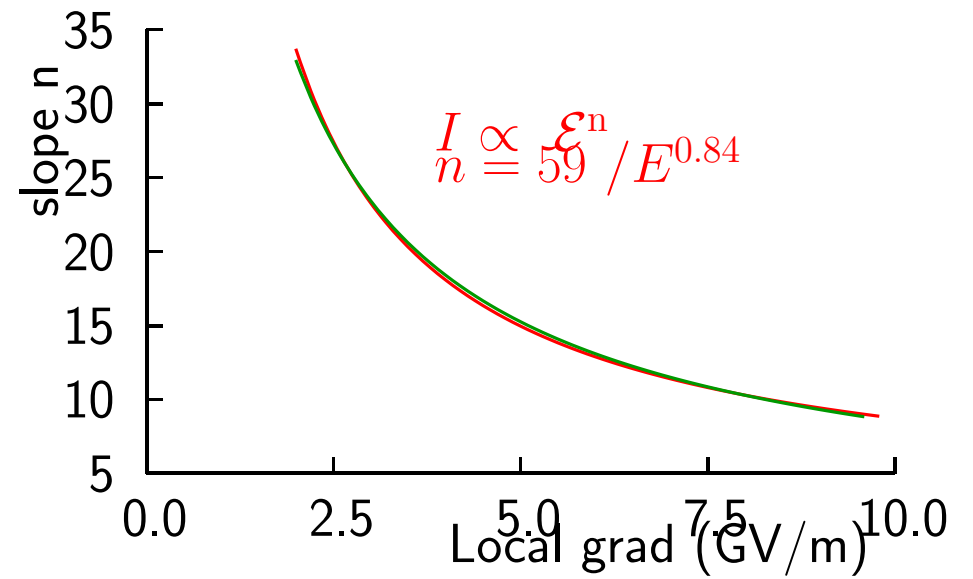
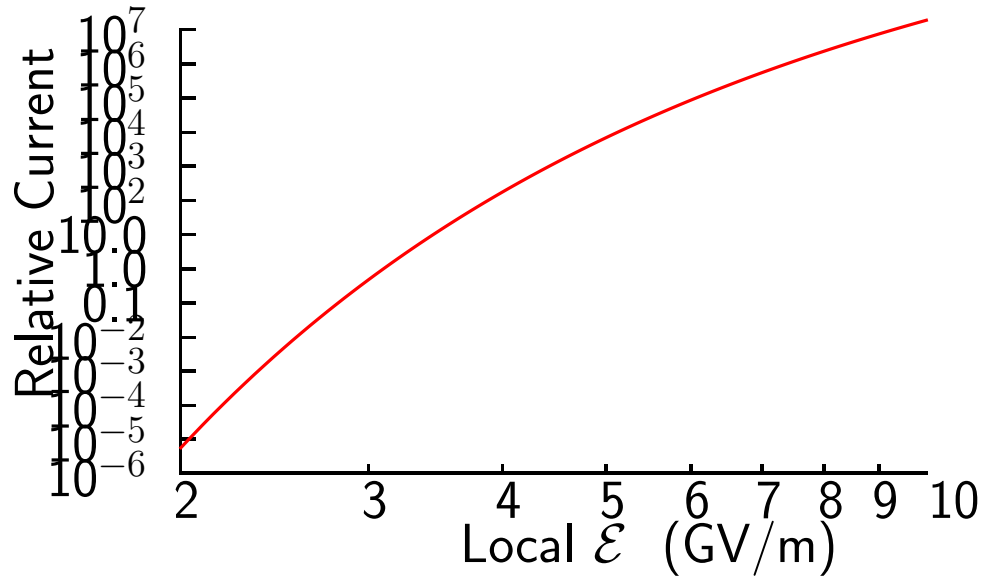
Energy on arrival at other side

From CAVEL simulation



- For $\mathcal{E} = 19 \text{ MV/m}$ $E_e = 0.5 \text{ MeV}$

I vs. Gradient



- Note that the power n is not independent of \mathcal{E}
- it is this that allows β_{FN} to be determined

Beamlet radius

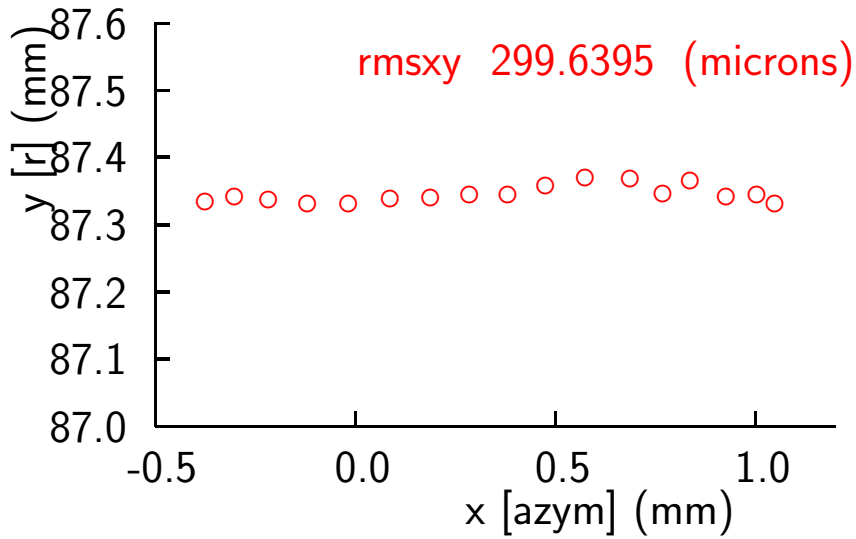
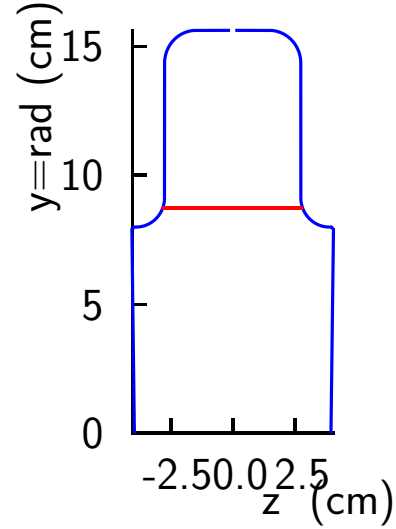
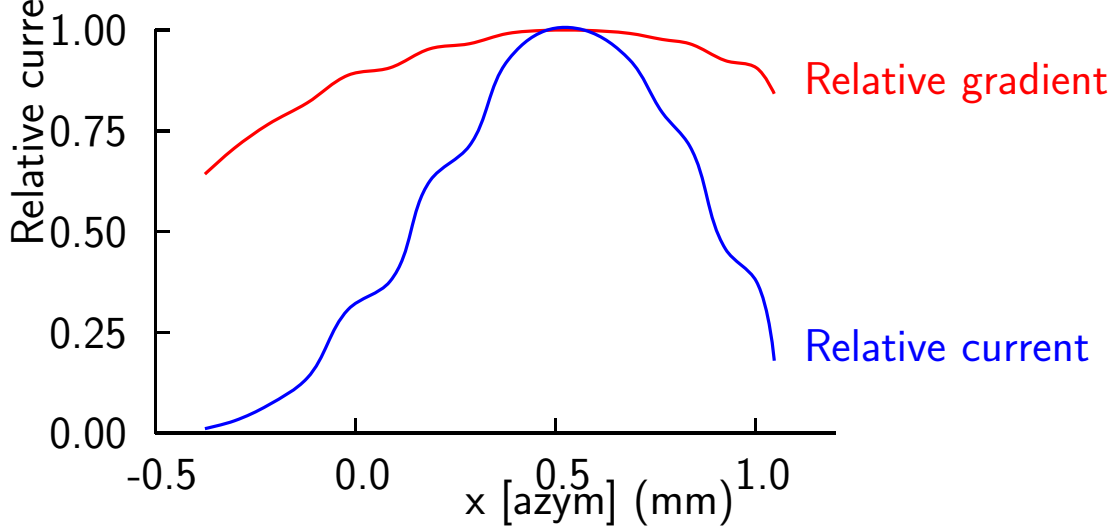
- Space charge blows the beam up near its source
- Magnetic field transports and focuses
- Beamlet radius from PARMELA: [Diktys Talk](#)

$$R(\mu m) = 22.6 \times \frac{I^{0.33}(\mu A)}{B(T)}$$

For $I=105 \mu m$, $B=1.7 T$: $R=61.6 (\mu m)$

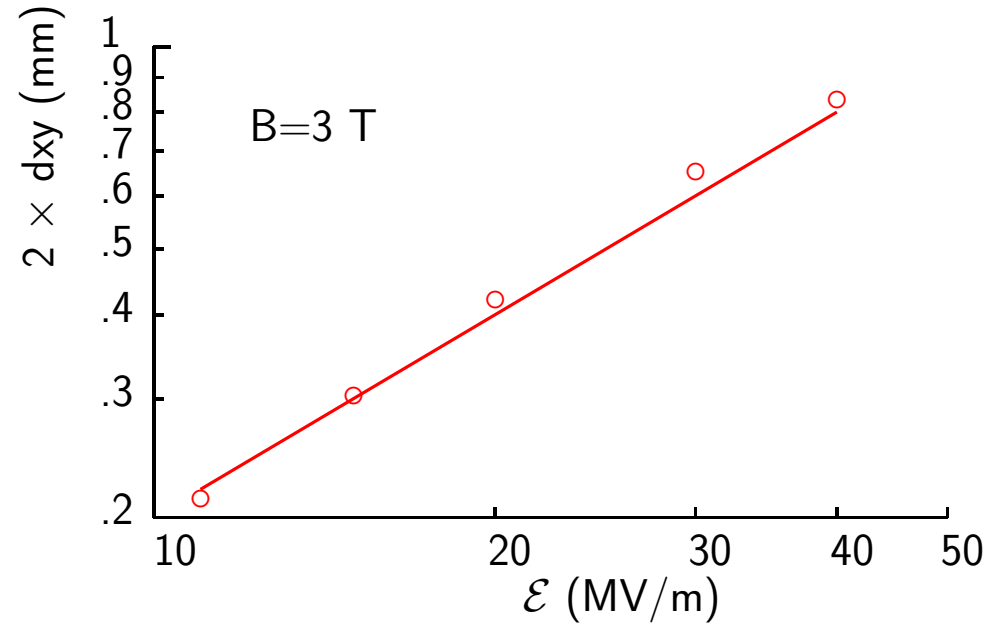
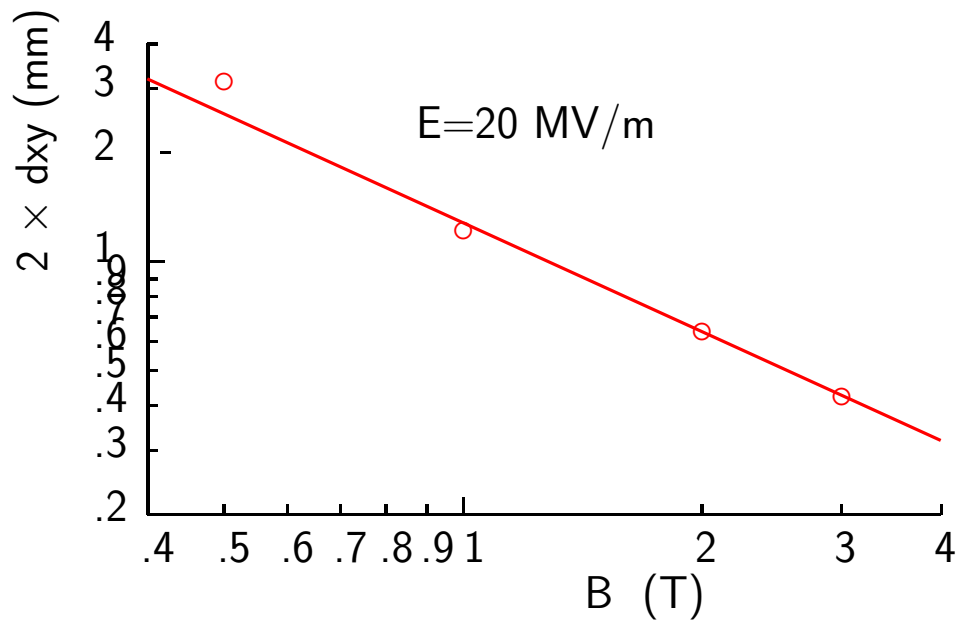
Phase dependent rms sweep: dxy

From CAVEL simulations



- Shift in x comes from shift in B direction arising from vector sum of rf B(azymuth=x) and external Bz

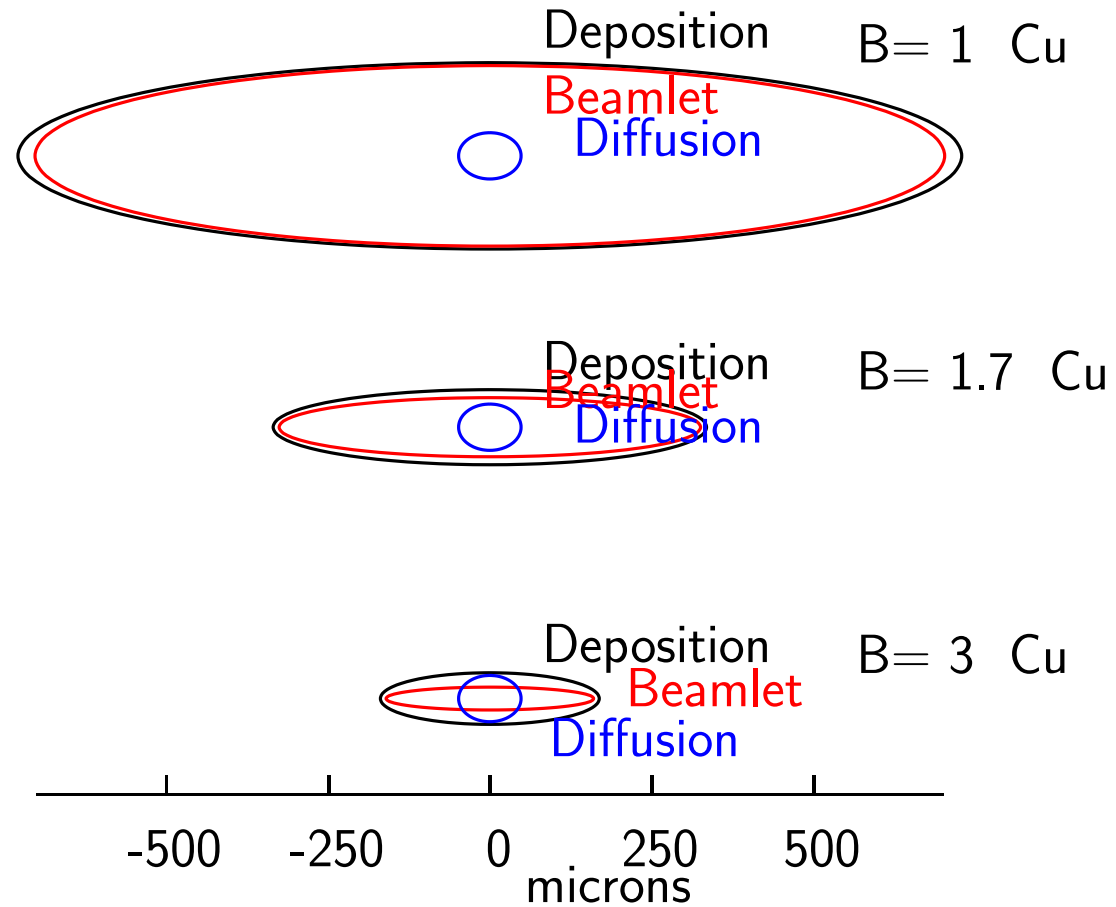
dxy dependence on B and \mathcal{E}



$$dxy = 0.031 \frac{\mathcal{E}}{B} \sqrt{\frac{10}{n}}$$

- For $\mathcal{E}=19$ MV/m $B=1.7$ T $n=10.7$: $dx = 322$ (μm)
- With added diffusion length and spot size: $dx = 331$ (μm)

Depositions vs B for Cu



- Diffusion plays little role at low B
- Only significant for $B > 2$ T

Material parameters used

- Pulse length $\tau = 20$ (μsec)

	Cu	Be	Be	Al	Al
Temp (K)	273	273	80	273	80
ρ (gm/cc)	8.96	1.83	1.83	2.7	2.7
C_p (J/gm)	0.385	1.83	0.10	0.871	0.367
K (Watts/cm)	4.01	2.18	8.7	2.37	7.28
α (10^{-5} /deg)	1.65	1.03	0.06	2.21	0.92
$D=0.01\sqrt{K\tau/\rho C_p}$ (μ m)	48.2	35.9	309	44.8	119.8

E deposition vs. depth

c.f. Diktys talk

Preliminary treatment of thermal diffusion

- Heat deposits are Gaussian in x and y with σ s from sums in quadrature of:
 - beam dimensions from space charge simulation
 - In x only: rms sweep from phases
 - Thermal diffusion = $D=0.01\sqrt{K\tau/\rho C_p}$ (μ m)

The later contribution may be a poor approximation

Current from local temperature rise

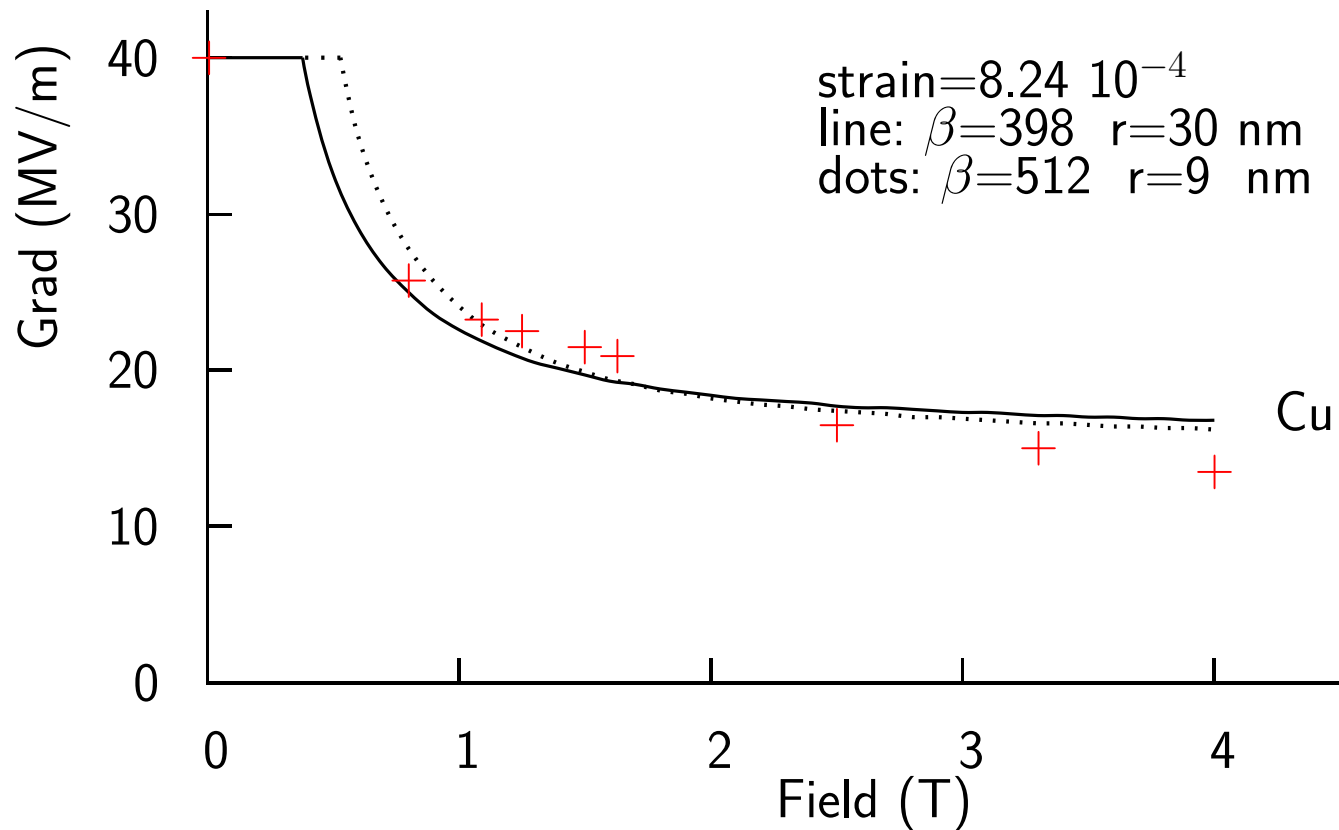
- $\tau = 20 \mu s$ $dE/dx = 35 \text{ MV/cm}$ $D = 48.2 (\mu m)$
- $R = 61.6 (\mu m)$ With added diffusion length and spot size: $dy = 78 (\mu m)$
- $dx = 325 (\mu m)$ With added diffusion length and spot size: $dx = 335 (\mu m)$

$$\Delta T = \left(\frac{2}{\pi}\right) \frac{\tau I (dE/dx) D}{\pi dx y R D C_p \rho} = 50 \text{ deg}$$
$$\text{Strain} = \alpha \Delta T = 8.24 \cdot 10^{-4}$$

- This ignores T and position changes in C_p , ok at 273, poor at 80
- To obtain 50 deg we needed $I = 105 \mu A$
implying $\beta = 398$ for source 30 nm, or 512 for 9 nm Are such high β_{FNS} reasonable when 183 measured in the open cavity ?
 - Correct for lower achieved gradients in pillbox: $52/40 \times 184 = 239$
 - Worst emitter cf. average emitter: $1.66 \times 236 = 398$
 - Or worst emitter cf. average emitter: $2.1 \times 236 = 512$
 - 1.66 seems not unreasonable
 - 2.1 a bit high, but could be true for the damaged cavity

\mathcal{E} vs B for Cu and Be at iris

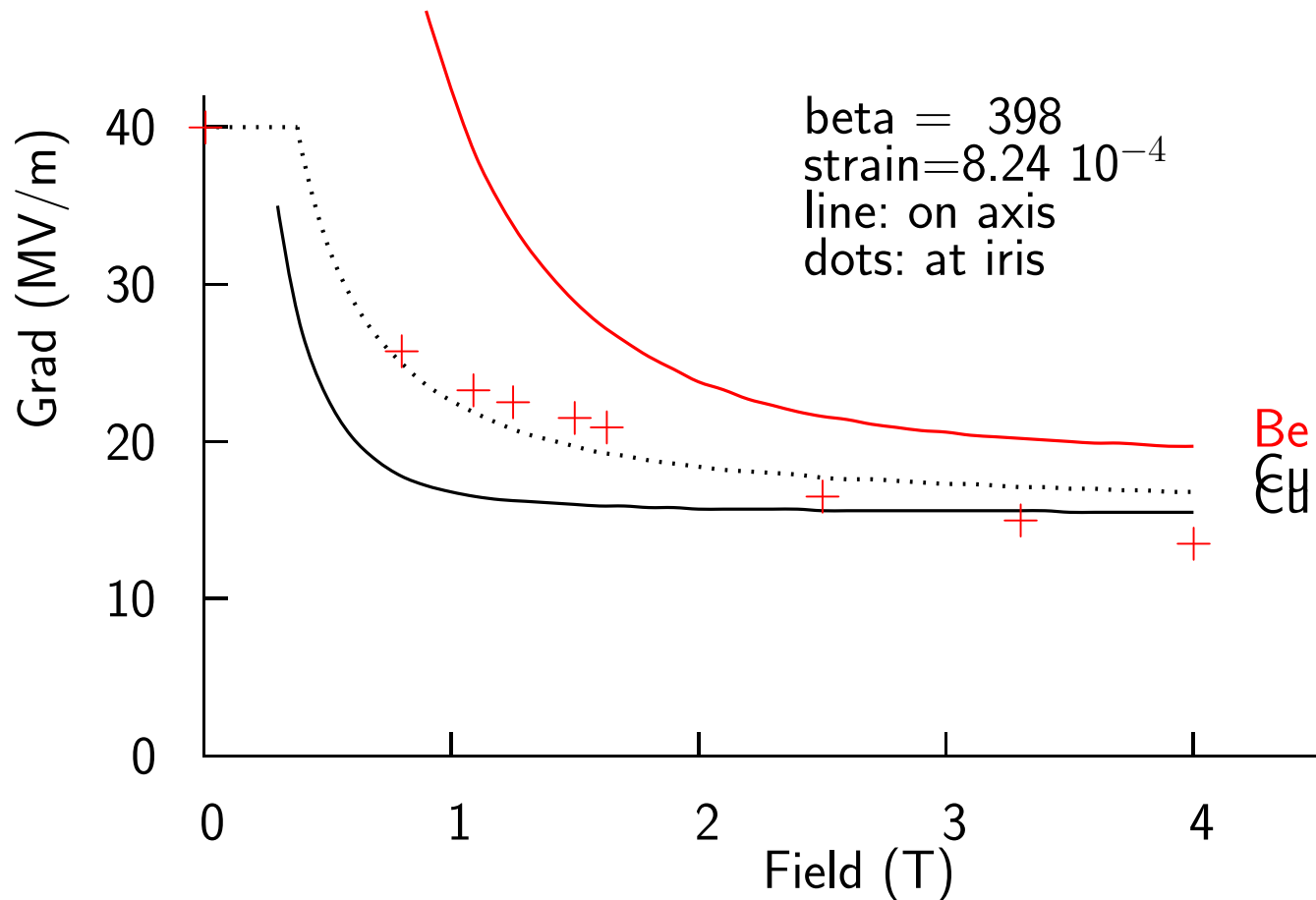
Having picked source radius and β_{FN} , we can now determine the \mathcal{E} that will give the same damaging strains at other magnetic fields



- Shape not strongly dependent on choice of areas and associated β_{FN}
- This fit, unlike earlier fits, uses observed fields at one B, but not the slope
- Worst fit at high B where crude treatment of thermal diffusion may be reason

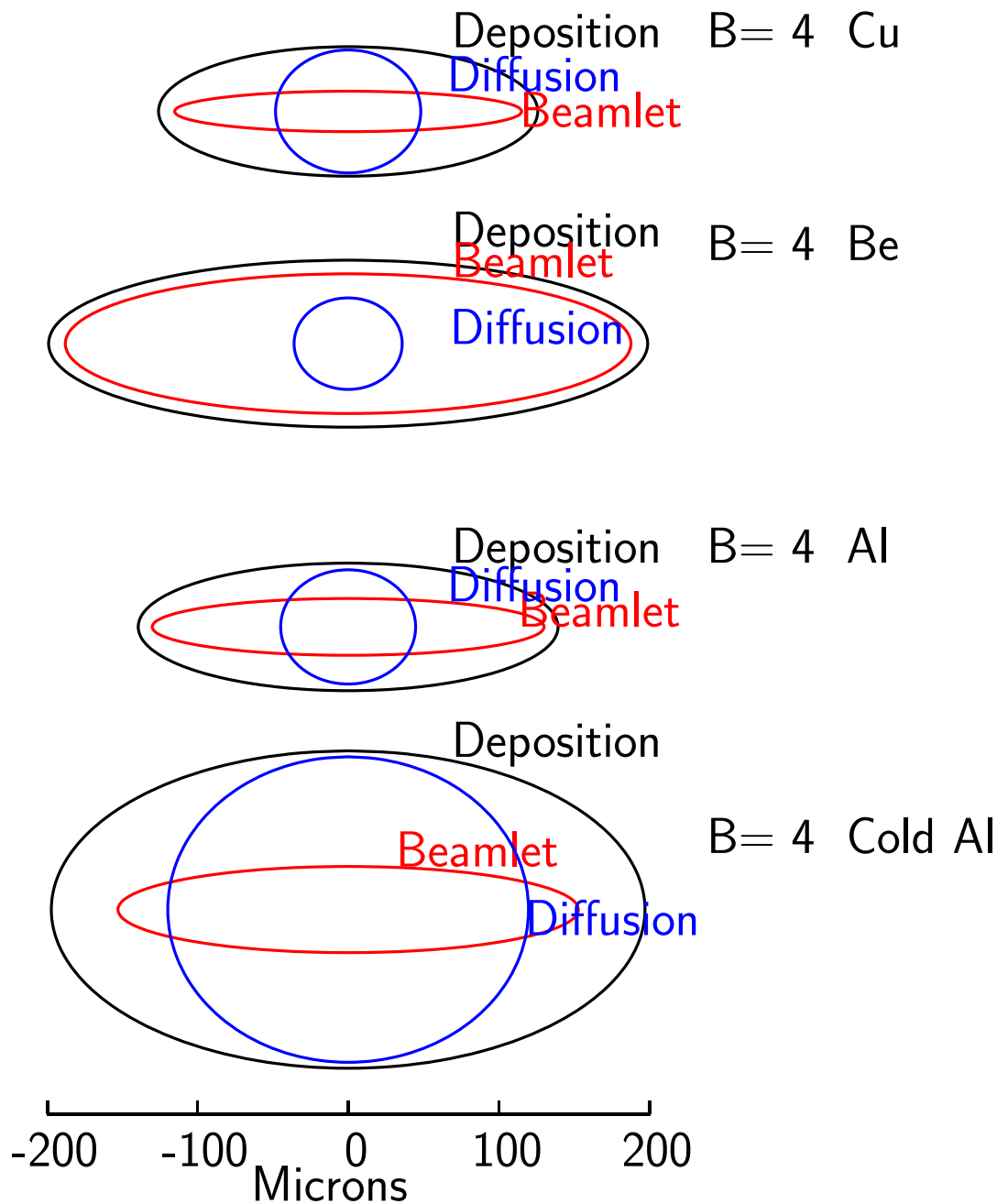
\mathcal{E} vs B for Cu and Be on axis

On axis there is no phase dependent sweep in x, and the beam is round and smaller requiring less \mathcal{E} for damage



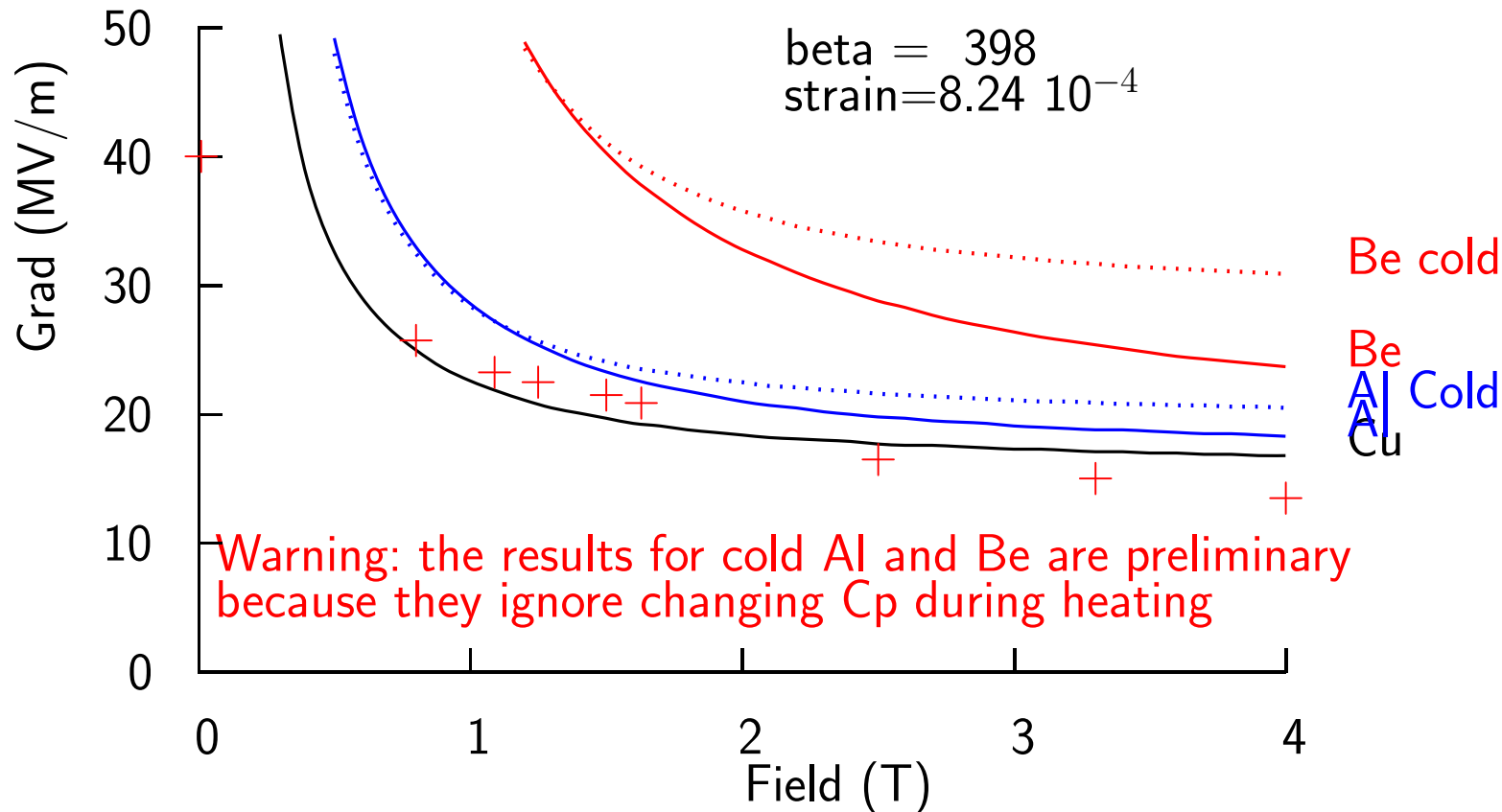
- But if Cu sides are tested in magnetic fields, breakdown should be worse
- The gradients for Be are above the data, consistent with observed lack of breakdown on axis with Be windows

Material and temperature effects on Beam sizes



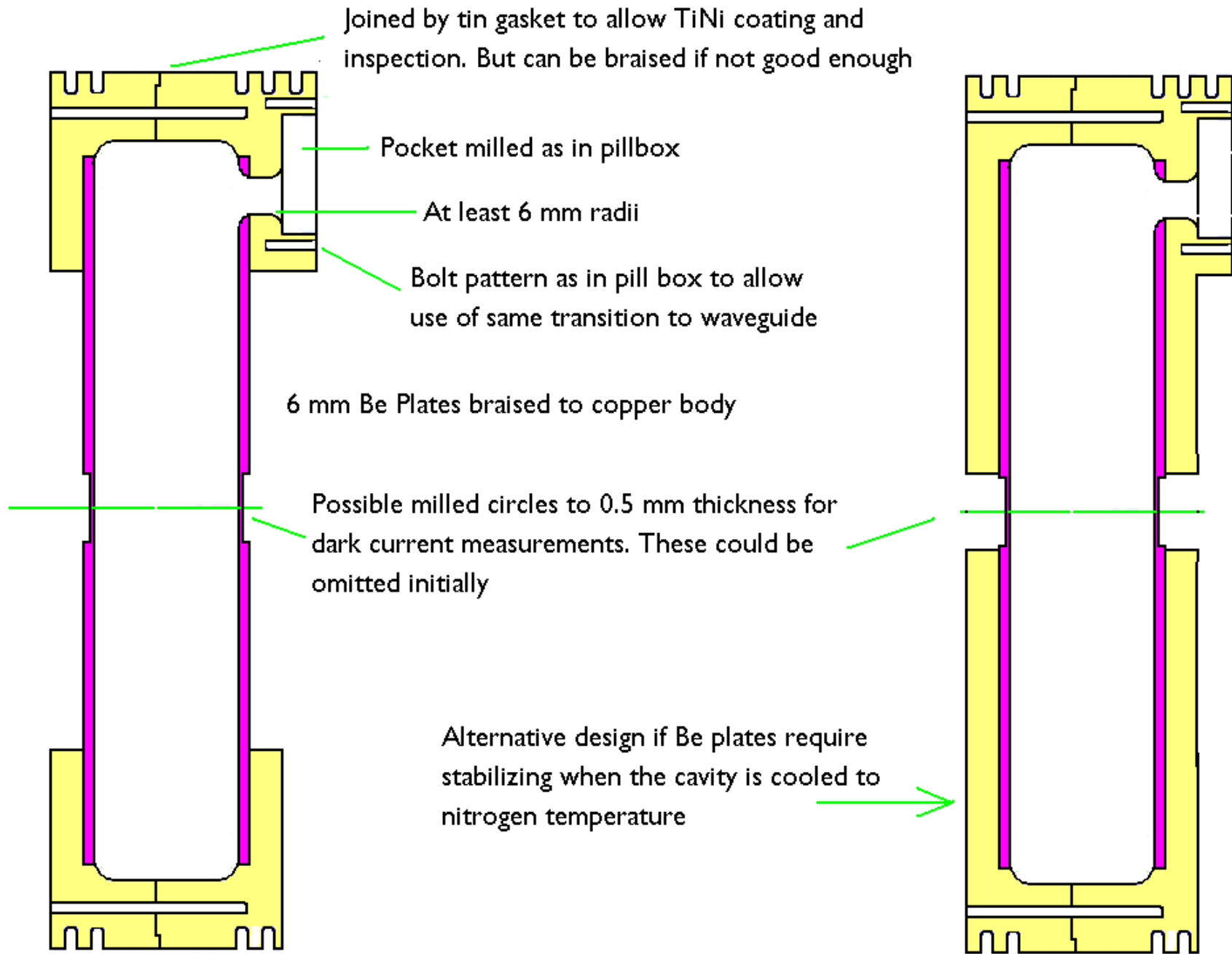
- Diffusion plays modest role in Cu and warm Al
- Diffusion plays little role for warm Al
- But a strong role in cold Al

\mathcal{E} vs B for Cu, Be, Al, Be cold, Al cold



- Main effect of lowering temperature is to increase thermal diffusion
- So its effect is only seen at high B
- Cold Al is significantly better than Cu, but not nearly as good as Be

A Be test cavity design



Conclusion

- SLAC has shown that soft copper is damaged when thermally cycled to approximately 50 degrees, corresponding to strains of $0.824 \cdot 10^{-3}$
- We assume that damage in cavities operating in a magnetic field are induced by space charge emitted electron beamlets that are focused by the field
- PARMELA simulations have given space charge induced beamlet radii
- Data from Los Alamos give quantitative energy depositions vs. depth
- CAVEL simulations give spread of electron deposition location with initial phase for locations at finite radii
- Using a crude model for thermal diffusion then gives energy deposition volume and the required currents to yield damage
- Observed damage at one magnetic field give local field enhancement β for a given source area
- With no further assumptions, we can predict the field dependence of damage thresholds on axis and at finite radii for Cu, Be, Al and cold Al

Conclusion (2)

- This analysis indicates $\beta_{FN}=398$ for a source radius of 30 nm, or higher for smaller source areas This is higher than that measured in the open cavity, but is not unreasonable for a worst asperity in the damaged cavity
- The beamlet radii for Cu and Al are relatively large, and greater than the diffusion length for fields less than 1.7 T
- The beamlet radii for Be are even larger, and greater than the diffusion length for all fields
- Be is much better than Cu because energy loss is low
- Al and cold Al are better than Cu, but by much less than for Be
- Remaining tasks are:
 - Gain access to a code to provide 3 dimensional energy depositions
 - Develop a 3 dimensional thermal diffusion code to replace the current crude model
 - Integrate temperature rise with changing $C_p(T)$
 - Make predictions for 201 MHz